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## AMENDMENTS TO THE SPECIFICATION

Please replace Table 1 shown on pages 6 and 7 with the following table, in which the inserted text is underlined, and the deleted text is stricken through.

Table 1

Table 1	The contract of the contract o
Entropy Type	Entropy Measures
Shannon	$E(j) = \frac{1}{MNin(2)} \sum_{x} \sum_{y} S(\mu_{T}(i(x, y)))$
	$E(f) = \frac{1}{MN \ln(2)} \sum_{x} \sum_{y} S(\mu_{I}(i(x, y)))$
	$\frac{S(\mu_{l}(i(x,y))) = -\mu_{l}(i(x,y)) \bullet \ln(\mu_{l}(i(x,y))) - [1 - \mu_{l}(i(x,y)))] \bullet [1 - \ln(\mu_{l}(i(x,y)))]}{(1 - \mu_{l}(i(x,y))) \bullet [1 - \mu_{l}(i(x,y))]}$
	$\underline{S(\mu_{l}(i(x,y))) = -\mu_{l}(i(x,y)) \bullet \ln(\mu_{l}(i(x,y))) - [1 - \mu_{l}(i(x,y)))] \bullet [\ln(1 - \mu_{l}(i(x,y)))]}$
Yager	$E(J) = 1 - \frac{1}{(MN)^{1/\alpha}} \left\{ \sum_{x} \sum_{y} S(\mu_{I}(i(x, y)))^{\alpha} \right\}^{1/\alpha},$
	$S(\mu_I(i(x,y))) = \mu_I(i(x,y)) - \overline{\mu_I}(i(x,y))$
	, where $\alpha$ is a fuzzifier factor
Pal&Pal	$E(J) = \frac{1}{MN \ln(2)} \sum_{x} \sum_{y} S(\mu_i(i(x, y))),$
	$S(\mu_I(i(x,y))) = \mu_I(i(x,y)) \cdot \exp[\mu_I(i(x,y))]$
	$+\{[1+\mu_{I}(i(x,y))] \cdot \exp[1+\mu_{I}(i(x,y))]\}$
Bhandari	$E(J) = \frac{1}{MN \ln(2)(1-\alpha)} \sum_{x} \sum_{y} S(\mu_t(i(x,y))),$
	$S(\mu_{I}(i(x,y))) = \log[\mu_{I}(i(x,y))^{\alpha} + (1 - \mu_{I}(i(x,y))^{\alpha}]$
Standard Fuzzy Complement	$E(J) = \frac{1}{MN} \sum_{x} \sum_{y} S(\mu_{t}(i(x, y))),$
- Sampionione	$S(\mu_t(i(x,y))) = 1 - [2\mu_t(i(x,y)) - 1]$

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Kaufmann	$E(J) = \frac{2}{MN} \sum_{x} \sum_{y} S(\mu_{t}(i(x, y))),$	
	$S(\mu_I(i(x,y))) = \min\{\mu_I(i(x,y)), 1 - \mu_I(i(x,y))\}$	
Quadratic Kaufmann	$E(J) = \frac{2}{\sqrt{MN}} \left\{ \sum_{x} \sum_{y} S(\mu_{I}(i(x,y))) \right\}^{1/2},$	
	$S(\mu_{I}(i(x,y))) = \min\{\mu_{I}(i(x,y)), 1 - \mu_{I}(i(x,y))\}^{2}$	

Please replace the paragraph beginning at page 9, line 1 with the following paragraph, in which the inserted text is underlined, and the deleted text is stricken through.

Furthermore,  $g_{cal}$  is set as equal to  $p\underline{P}_l$ . After initializing initial values, at step 602, entropy values  $E(g_{min})$ ,  $E(g_{max})$  and  $E(g_{cal})$  of  $g_{min}$ ,  $g_{max}$  and  $g_{cal}$  are computed.

Please replace three consecutive paragraphs beginning at page 9, line 20 with the following paragraphs, in which the inserted text is underlined, and the deleted text is stricken through.

At step 607,  $\underline{p}\underline{P}_{t+1}$  is computed by using a linear equation f with  $(g_{temp}, 0)$  and  $(g_{mid}, E(g_{mid}))$ and  $E_{t+1}$  is set to  $E(\underline{p}\underline{P}_{t+1})$ . The linear equation f is f(g) = ag + b.

After computing  $P_{i+1}$ , it is compared with any two of previous  $p\underline{P}_i$  at step 608.

At step 609, if there are identical two  $\underline{P}_{LS}$ , it is ended, and at step 610, if there are not identical two  $\underline{P}_{LS}$ ,  $\underline{g}_{temp}$  is set to  $\underline{P}_{L+1}$  and  $\underline{g}_{cal}$  is newly determined by  $(\underline{g}_{temp}+\underline{g}_{fix})/2$ ,  $\underline{E}(\underline{g}_{min})$  is set to  $\underline{E}_{i+1}$  and  $\underline{g}_{temp}$  is set to  $\underline{P}_{i+1}$ . After setting new value for  $\underline{g}_{cal}$ , steps 602 and 608 are reputedly repeatedly performed. For helping to understand steps for obtaining optimal threshold of FIG. 6, pseudo code is shown in below table.

Please replace Table 2 shown on pages 10 and 11 with the following tables, in which the inserted text is underlined, and the deleted text is stricken through.

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Table 2
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Set flag = True;
Set gmin = possible minimum occurring gray level;
Set gmax = possible maximum occurring gray level;
Set G_{min} = g_{min};
Set G_{max} = g_{max};
Set pP_i = int [(g_{max} + g_{min})/2];
Set g_{cal} = pP_i;
Compute E(gmin);
Compute E(gmax);
Compute E(gcal);
While (flage == True)
          If (E(g_{col}) < E(g_{min})) then
                    set g_{temp} = g_{min};
                   set g_{fix} = G_{max};
          Else
          Set g_{temp} = g_{max};
          Set g<sub>fix</sub> = G<sub>min</sub>;
Set g_{mid} = (g_{fix} + g_{temp})/2;
Set pP_i = g_{mid}
Set E_{mid} = (E(g_{temp}) + E(g_{fix}))/2;
Generate linear equation f using (gtemp,0) and (gmid, Emid);
Set pP_{i+1} = f^{-1} (E(pP_i)); Set E_{i+1} = E(pP_{i+1});
          If (pP_{i+1} = any two previous pP_i) then
                    set flag = false;
          Else
                    set E(g_{min}) = E_{i+1};
                    set g_{temp} = P_{i+1}, g_{cal} = (g_{temp} + g_{fix})/2;
          END IF
End While.
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